

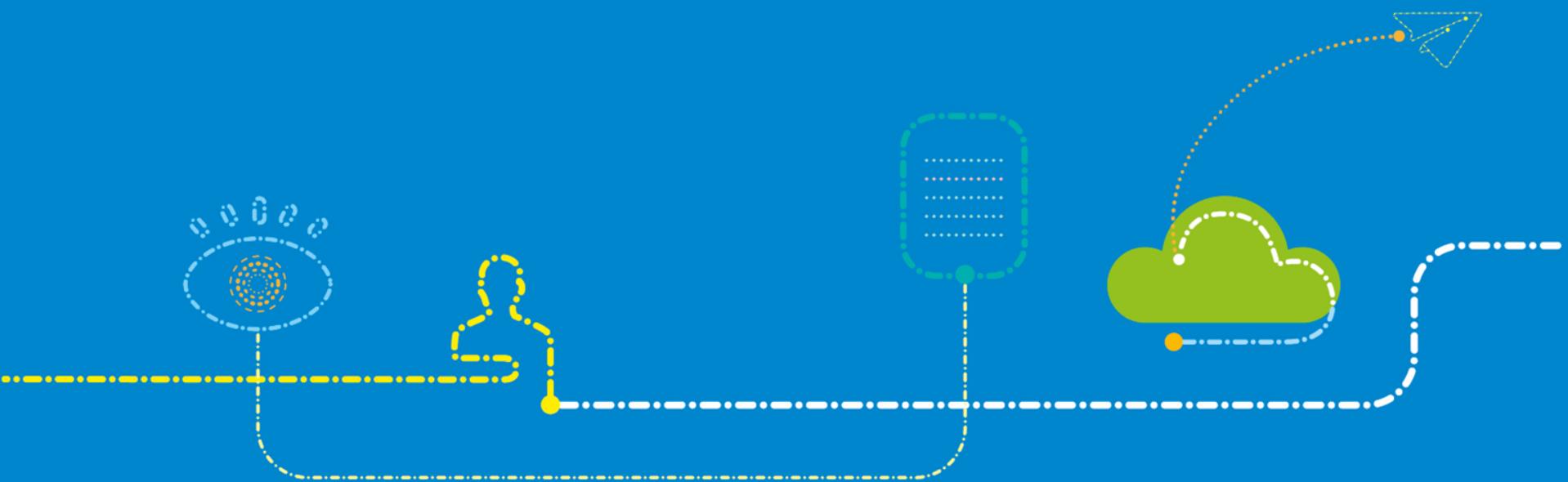


A Way to Evaluate post-FEC BER based on IBIS-AMI Model

Yu Yangye, Guo Tao, Zhu Shunlin

yu.yangye@zte.com.cn, Guo.tao6@zte.com.cn, zhu.shunlin@zte.com.cn

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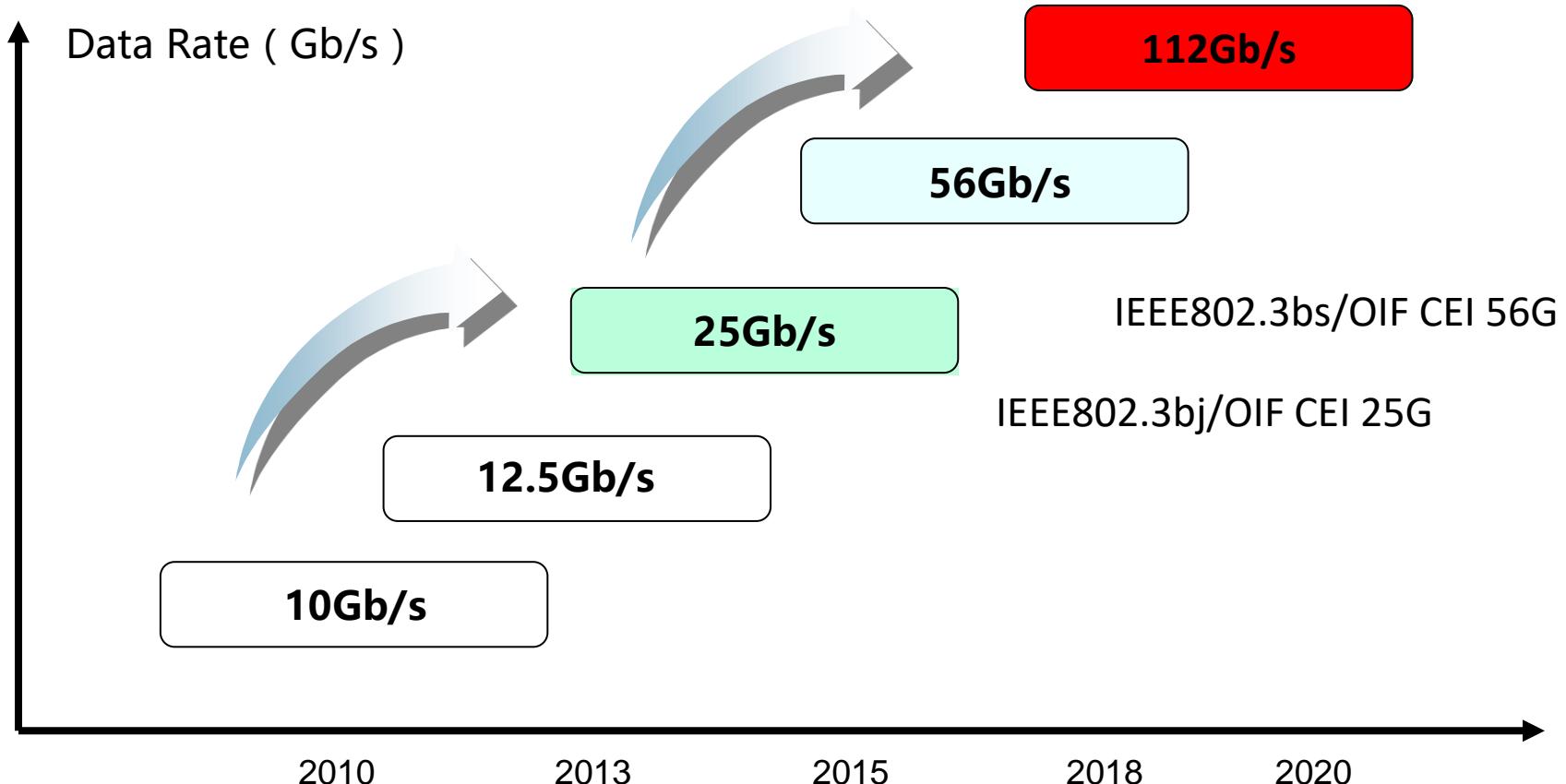
Agenda

- Introduction
- Error Propagation Theory
- A Simulation Case
- Summary

Introduction

200/400&800 Gigabit Ethernet is urgently needed in carrier network

Higher data rate requirements for 56Gb/s, even 112Gb/s



Introduction

Besides equalization techniques, some new techniques have been used for SerDes systems in order to meet 100GE- 400GE-800GE specs

Higher Data Rate: 25Gb/s to 56 Gb/s to 112 Gb/s



Equalization:

De-emphasis+CTLE+DFE

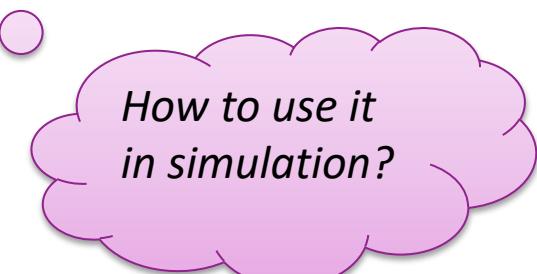
IC Architecture:

Analog based architecture

DSP based architecture

Fancy Modulation: NRZ or PAM4

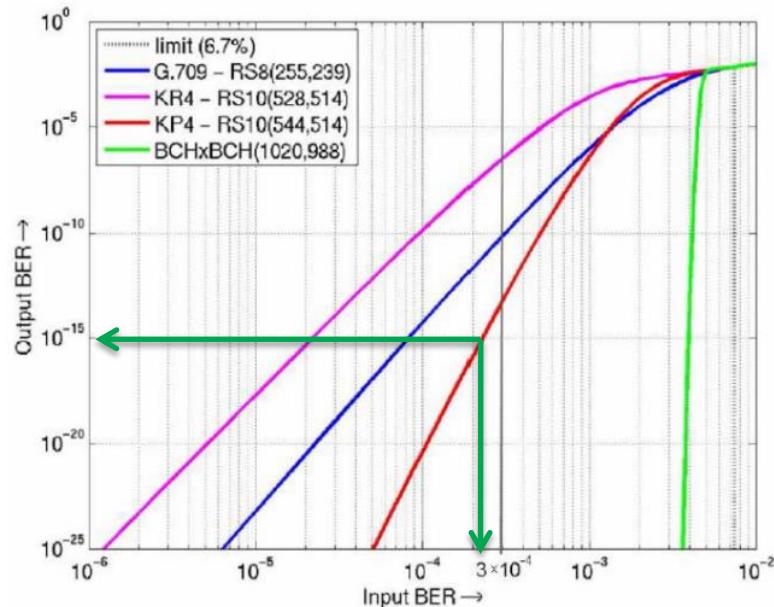
Forward Error Correction: **FEC**
(optional vs. forced)



Introduction

The Forward Error Correction (FEC) has been used to Increase serial link system budgets and relaxing BER requirements

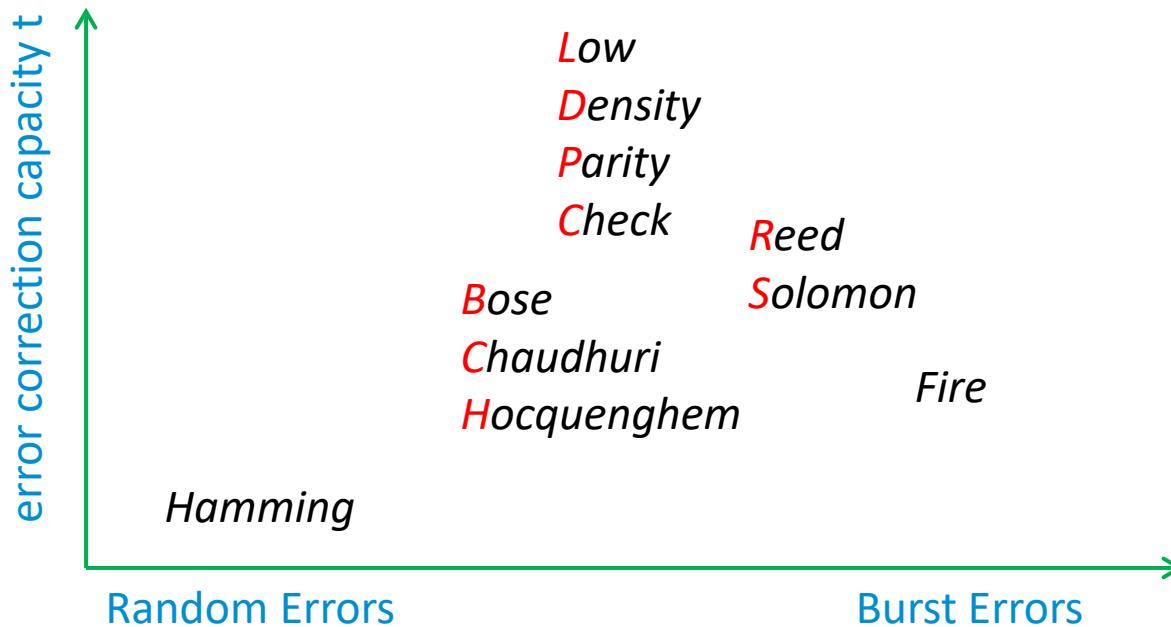
- Code Gain
 - Gain vs Higher Frequency
- Time
 - Serial Link Latency
- Complexity
 - Area and Power



Target (OIF-56G-LR)
2.2e-4 without FEC
1e-15 with FEC

Introduction

- Important FEC codes



Recently adopted FEC

- Fire Code (1604, 1584) – OIF CEI-P
- QC Code (2112, 2080) – 10GBASE-KR
- RS (528, 514, 7) over GF(2^{10}) – 100GBASE-KR4
- RS (544, 514, 15) over GF(2^{10}) – 100GBASE-KP4

Introduction

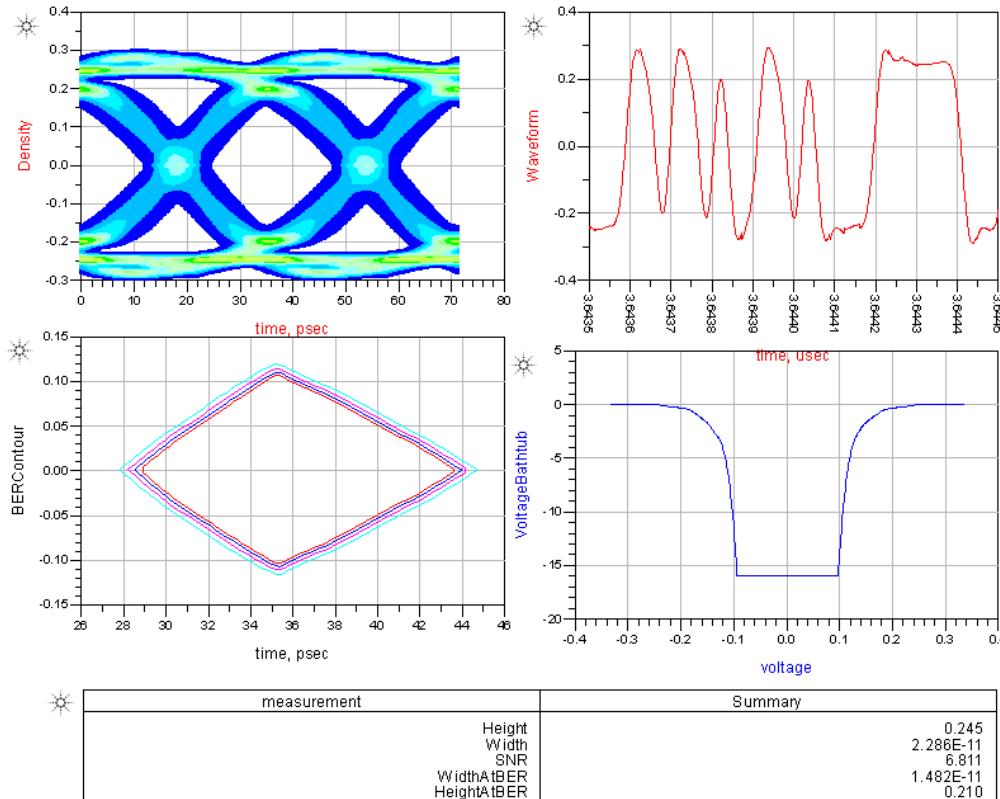
- What can we get from simulation based on IBIS-AMI model?

Available

- Eye Diagram
- Waveform
- Contour
- Bathtub

Absent

- postFEC BER



Introduction

- Current Problems

- FEC is a forced function in 400GE and 800GE system
- There is no FEC function model in the IBIS-AMI yet

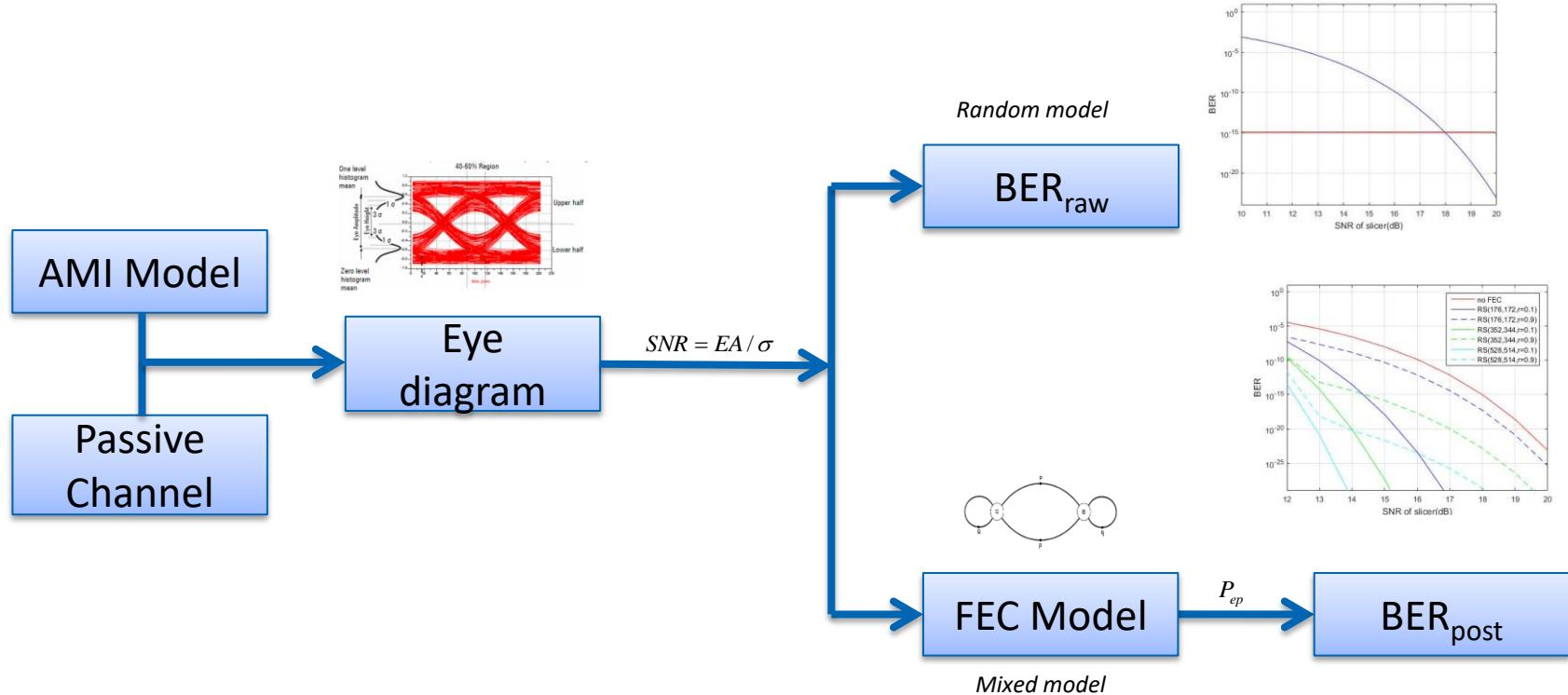
- System Vendor Requirements

- IBIS-AMI models can be used for FEC simulations
- postFEC BER

We proposed a new solution evaluated the postFEC BER using FEC model

Introduction

- Suggested Solution Process



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Error Propagation Theory

● Random Error

- The presence and the location of the error satisfy the random distribution
- The errors are independent of each other
- Usually caused by the random noise of the channel, AWGC channel
- Random errors are generally single bit.

● Burst Error

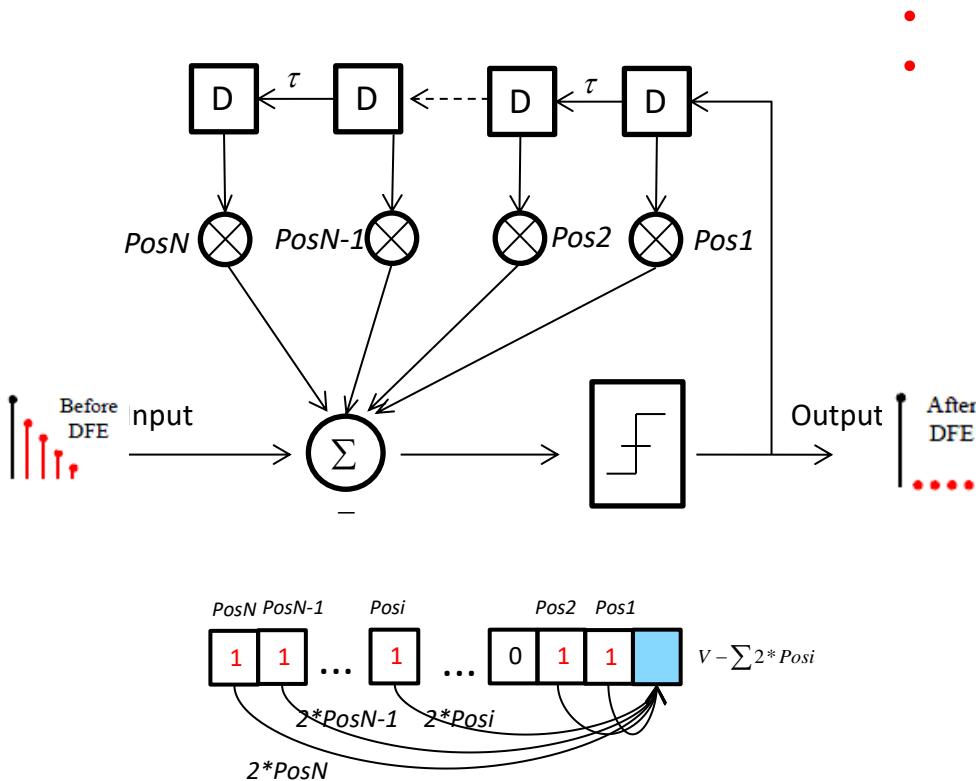
- The error contains a series of bits, the first and last bit in an error are always wrong
- There is a certain relationship between the error bits
- Caused by some structures, such as DFE, Scrambler
- The length of the error is called the burst error length

● Mixed Error

- Channel contains random error and burst error
- We consider the channel as random error channel without DFE, otherwise the channel is a mixed error channel

Error Propagation Theory

- DFE diagram

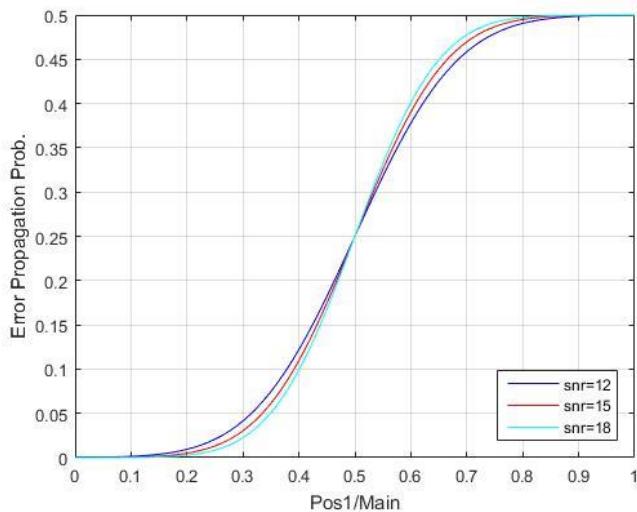


- If all DFE state registers were right, error probability is decided by slicer SNR
- If i th-cursor were wrong, generate a $(2^{*}Posi)$ voltage deviation
- The output of DFE is associated with the previous N-bits information, where N is the number of DFE taps

Error Propagation Theory

- Many methods are used to analyse the error propagation such as
 - Monte-Carlo simulation
 - Markov chain model
 - Error Propagation theory

...



- ◆ Decision feedback equalizer (DFE) is widely used to reduce ISI
- ◆ However, this structure induces burst errors in channel
- ◆ The increased input BER performs a penalty on FEC coding gain
- ◆ Trade off between n-Tap DFE and high coding gain FEC

Error Propagation Theory

- FEC analysis for random error channel
 - Raw BER is decided by the channel SNR

$$BER_{pre} = Q(\sqrt{SNR}) = \frac{1}{2} erfc\left(\frac{\sqrt{SNR}}{\sqrt{2}}\right)$$

- Every RS-FEC symbol has m -bits, thus the error symbol rate is

$$SER_{FEC, pre} = 1 - (1 - BER_{pre})^m$$

- RS-FEC can correct t -symbol, the Probability of un-correction in FEC symbol is

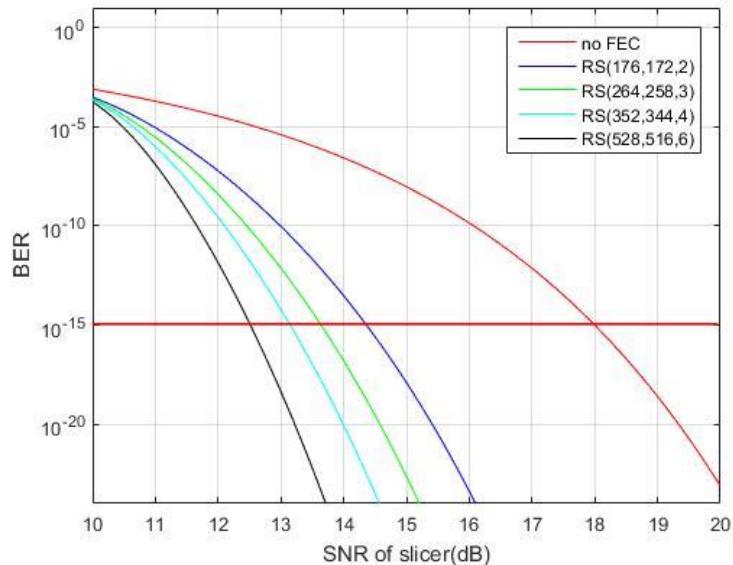
$$P_{UE} = \sum_{i=t+1}^n \frac{i}{n} \binom{n}{i} SER_{pre}^i (1 - SER_{pre})^{n-i}$$

- The output BER is

$$BER_{post} = 1 - (1 - P_{UE})^{\frac{1}{m}} \approx P_{UE}/m$$

Error Propagation Theory

- FEC Gain for Several RS Codes



- Without FEC, ~18dB SNR is needed to get $1e-15$ BER
- Code with larger t can get higher net coding gain (NCG)
- At BER $1e-15$, $t=2, 3, 4, 6$ RS codes can get 3.6dB, 4.4dB, 4.8dB, and 5.5dB NCG, respectively
- The result is too idealistic because the model just considers the random error

Error Propagation Theory

- FEC analysis for 1-tap DFE channel
 - Raw BER is decided by the channel SNR

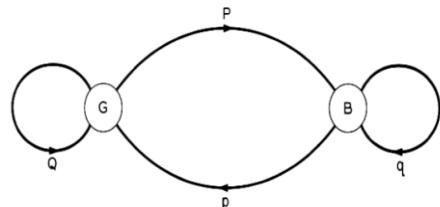
$$BER_{pre} = \frac{1}{2} erfc\left(\frac{\sqrt{SNR}}{\sqrt{2}}\right)$$

- The error propagation probability (Pep) is

$$P_{ep} = \frac{1}{4} \left[erfc\left(\frac{(1+2b_1/b_0)\sqrt{SNR}}{\sqrt{2}}\right) + erfc\left(\frac{(1-2b_1/b_0)\sqrt{SNR}}{\sqrt{2}}\right) \right]$$

b1/b0 is the ratio of Pos1 to main

- Error propagation follows the Markov chain probability of ($k+1$) consecutive errors and is

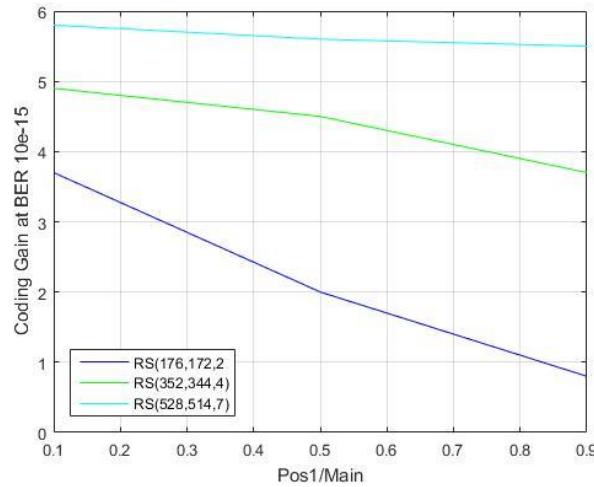


$$p(bl = k+1) = p_{ep}^k (1 - p_{ep})$$

- Calculate the postFEC BER

Error Propagation Theory

- Coding Gain Vs. Tap coefficient



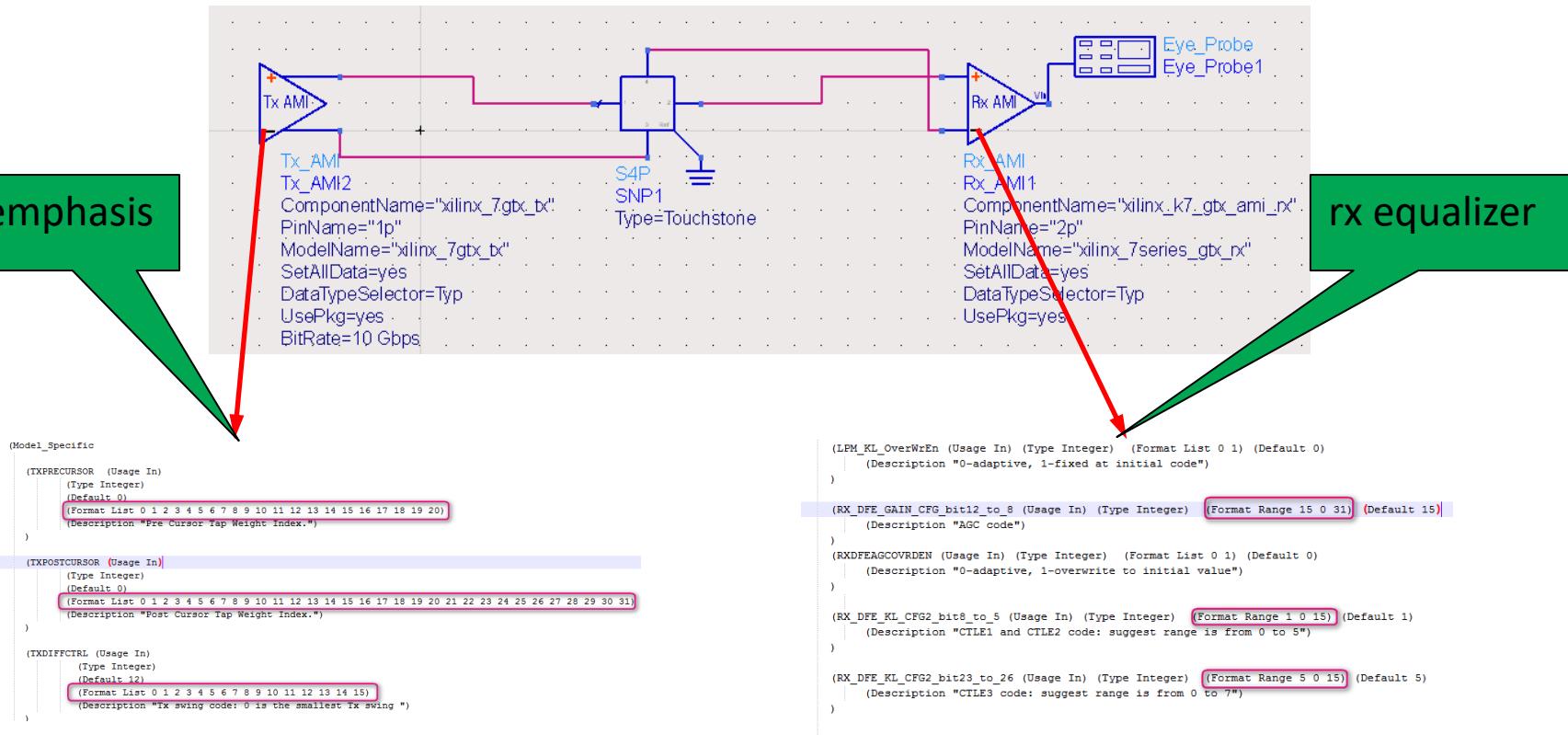
- When Pos1/Main increase, FEC coding gain decreases
- RS codes with larger t can get higher gain
- Gain drops more rapidly for RS codes with small t because they cannot correct the long errors effectively
- RS(528, 514, 7) can get about 5.8dB gain for random error channel, consistent with 802.3bj ad OIF-25G standard

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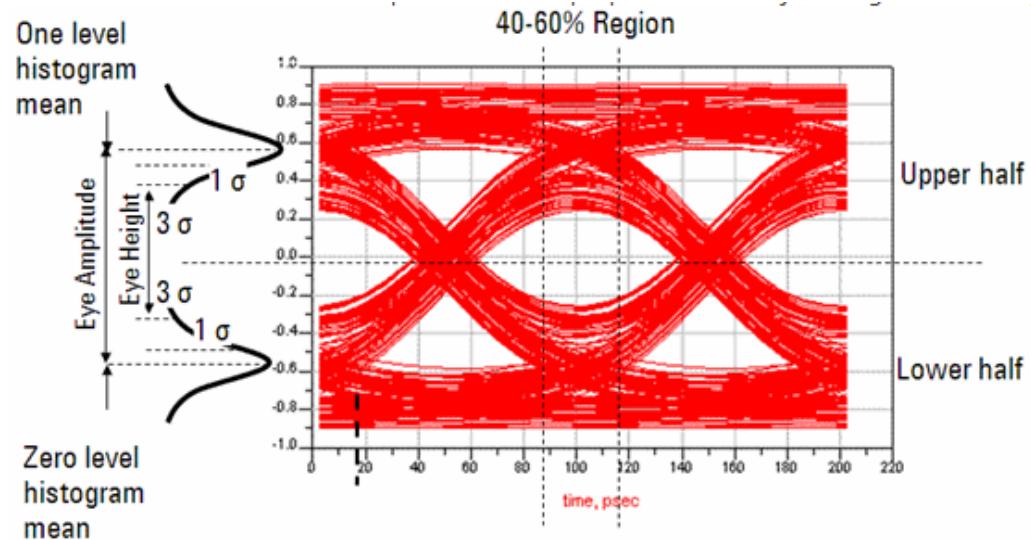
A Simulation Case

● Acquisition of SNR



- Simulation with IBIS-AMI model
- Using the optimal tx emphasis parameters
- Using the optimal rx equalizer parameters
- Getting the best eye diagram

A Simulation Case

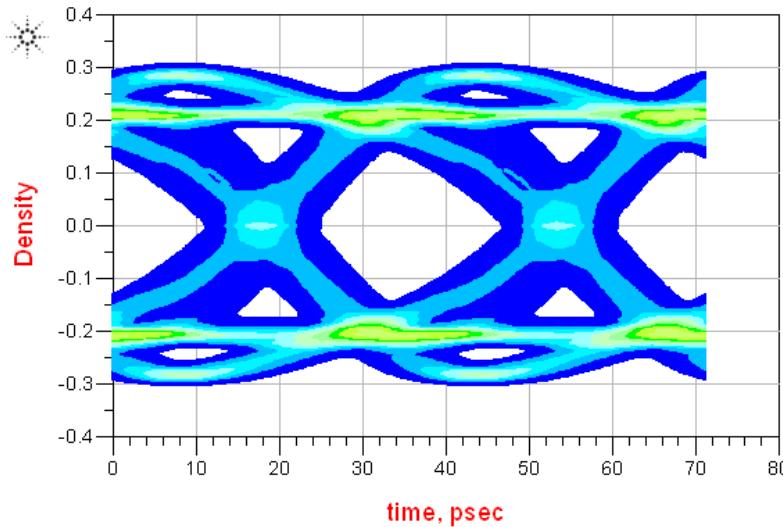


- $\text{SNR} = S/N = S_{\text{amp}} / (N_{\text{sigma1}} + N_{\text{Sigma0}})$, where $S_{\text{amp}} = \text{signal amplitude}$
- S_{amp} : 1 level histogram mean - 0 level histogram mean
- N_{sigma} : 1 sigma value

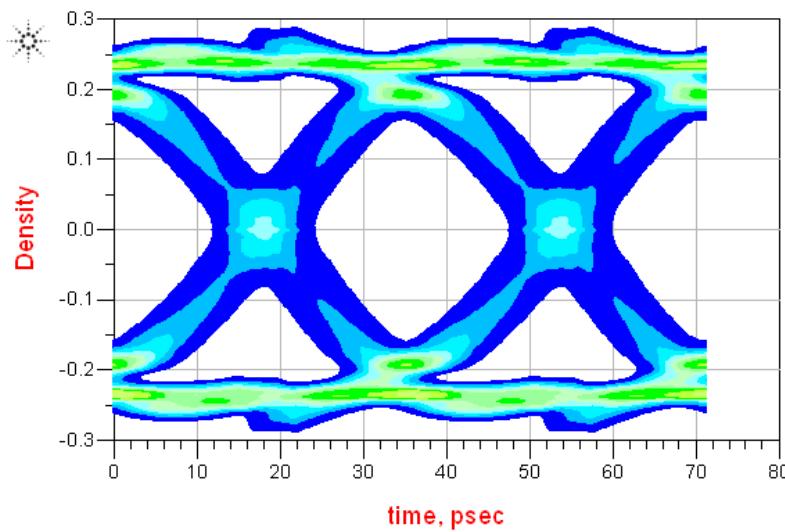
A Simulation Case

- Comparison

DFE OFF



DFE ON



- DFE impacts are obvious on eye diagram quality

A Simulation Case

- Results for RS(528, 514, 7)

	SNR=12dB	SNR=13dB	SNR=14dB	SNR=15dB
	BER _{post}			
BER _{pre}	3.43e-5	3.97e-6	2.70e-07	9.36e-9
Random (Pos1/main=0)	3.53e-14	1.30e-21	5.98e-31	1.27e-42
Pos1/main=0.5	3.82e-14	1.41e-21	6.48e-31	1.70e-42
Pos1/main=1	5.29e-14	2.06e-21	7.13e-24	2.48e-25

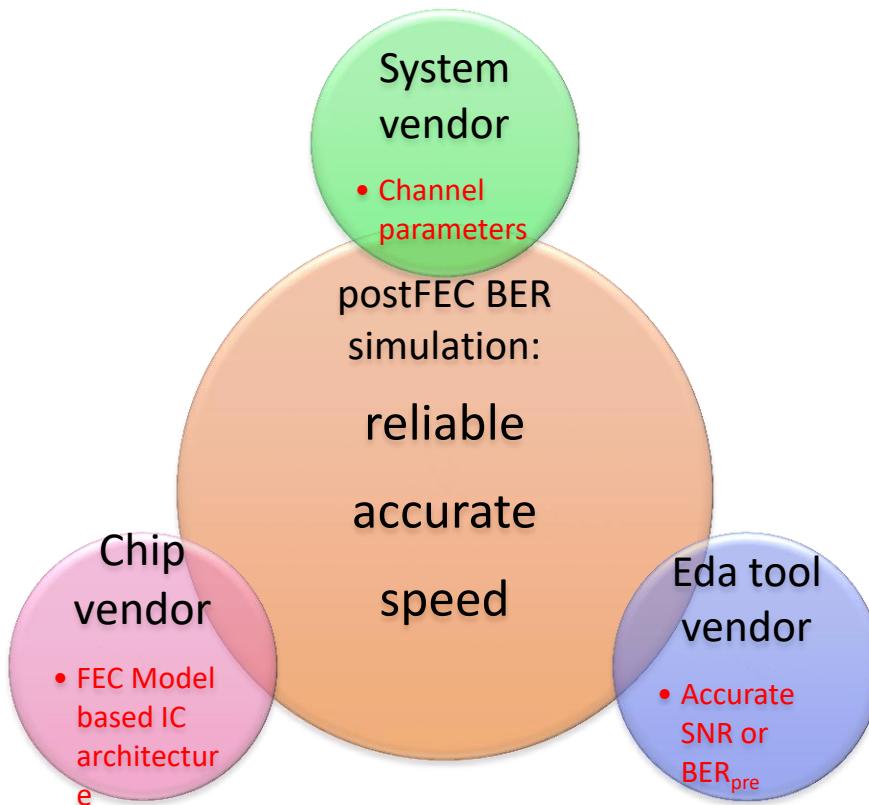
- The error propagation probability increases while the DFE tap coefficient becoming larger
- The BER increases with the tap coefficient
- Larger SNR shows more obvious change as shown by the relatively low BER and the effect of error floor

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Summary

- We proposed a method to evaluate the postFEC BER for a system
- To achieve the simulation in the common **EDA Tool** based on **IBIS-AMI** model, we appeal to all the members to solve the problem together.



Summary

- An analysis method is performed combining AMI model and FEC function
- FEC function modeled based on error propagation theory
- SNR calculated through EDA tool with IBIS-AMI model
- Calculate the postFEC BER
- Advantages: SNR contains multiple effects of chip and channel; each part can be optimized separately
- We appeal to all the members to solve the problem together

Thank you



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