

# IC MACROMODELS FROM ON-THE-FLY TRANSIENT RESPONSES

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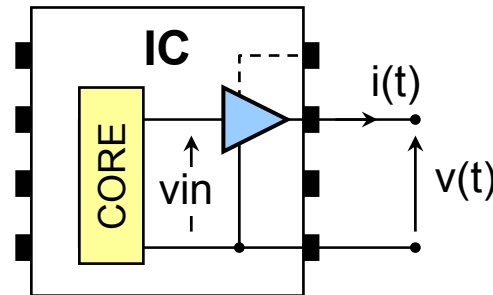
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<http://www.emc.polito.it/>



## Review of IC model generation (i)

e.g., IC output buffer (single-ended)



In any approach, 2-piece model representation

$$i(t) = w_H(t) i_H(v, d/dt) + w_L(t) i_L(v, d/dt)$$


$i_{H,L}$ : submodels accounting for buffer behavior @ fixed logic H and L state

$w_{H,L}$ : weighting signals for state switchings

→ **suitable modifications for handling power/ground pins and different device technologies**

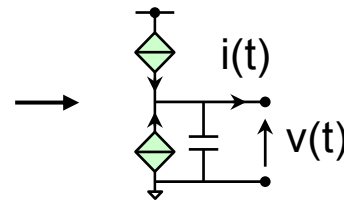
## Review of IC model generation (ii)

### Classification

$$i(t) = w_H(t) i_H(v, d/dt) + w_L(t) i_L(v, d/dt)$$


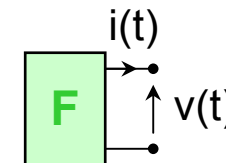
#### ▪ Equivalent circuits

→ Input Output Buffer Information Specification, **IBIS**




#### ▪ Nonlinear parametric relations

→ Macromodeling via Parametric Identification of Logic Gates, **Mπlog**



- parametric relations approximate any nonlinear dynamic system
- theory/tools from system identification
- improved accuracy for recent devices
- IBIS compliant (ver. 4.1)

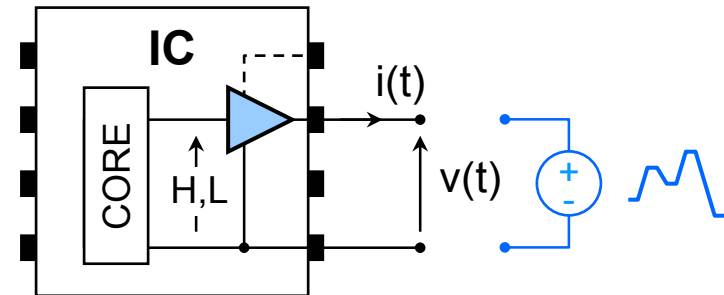
$$i(k) = \underbrace{F}_{\text{nonlinear}}(i(k-1), \dots, v(k), v(k-1), \dots)$$


## Mπlog modeling process (i)

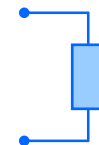
**Parameter values** obtained from suitable responses recorded @ device ports **by matching reference and model responses**

$$i(t) = w_H(t) i_H(v, d/dt) + w_L(t) i_L(v, d/dt)$$

❖ for  $i_{H,L}$ : transient responses to **suitable voltage stimuli** @ fixed state  
+ standard algorithms



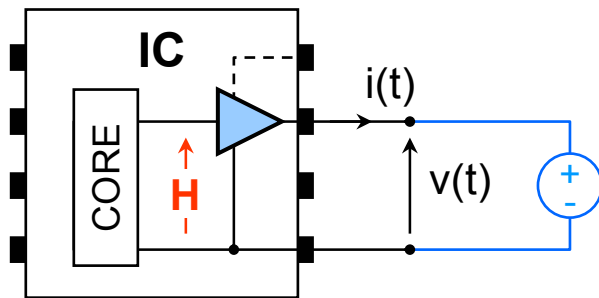
❖ for  $w_{H,L}$ : transient responses while the port is connected to reference loads and performs state transitions (e.g, 50  $\Omega$  resistor)  
+ linear inversion of model equation



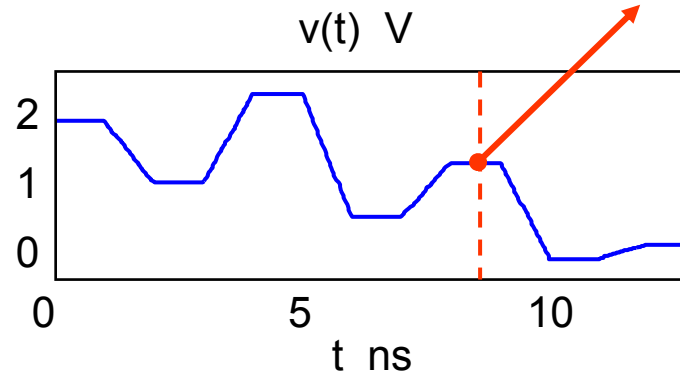
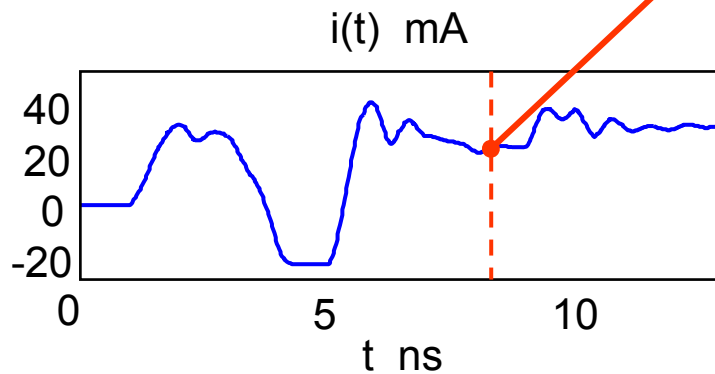
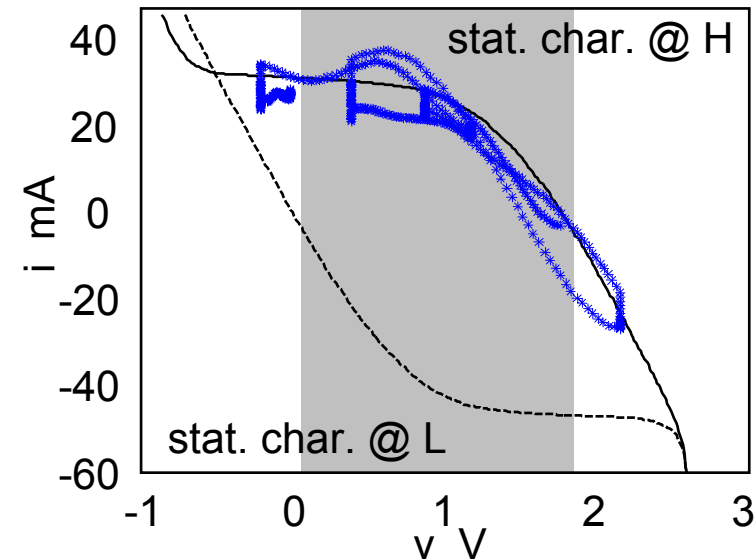
## Mπlog modeling process (ii)

### Estimation of submodels $i_{H,L}$

e.g., for  $i_H$



IC in High output state

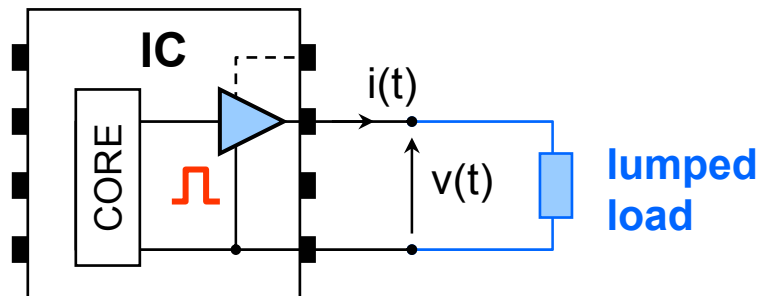


estimation  
algorithm  
(e.g., [1])

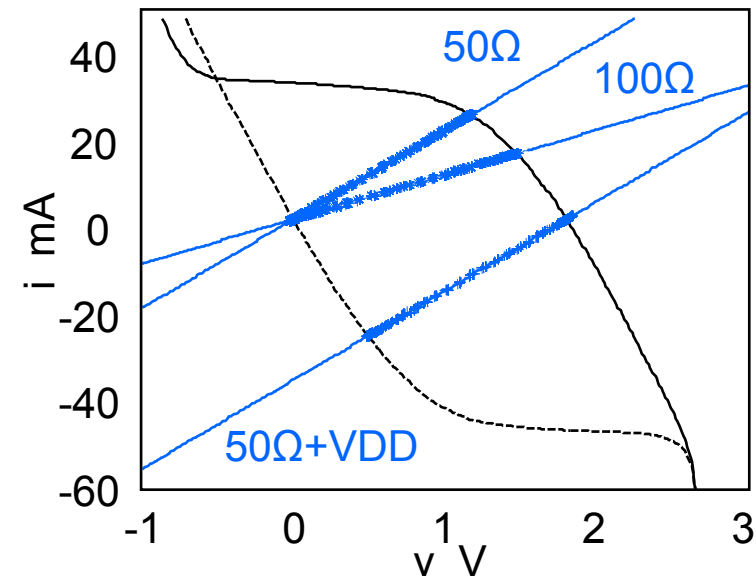
[1] M.T.Hagan et Al. "Training feedforward networks with the marquardt algorithm", IEEE Trans. on NNs, Nov. 1994.

## Mπlog modeling process (iii)

Computation of weighting signals  $w_{H,L}$



IC driven to perform complete state transitions

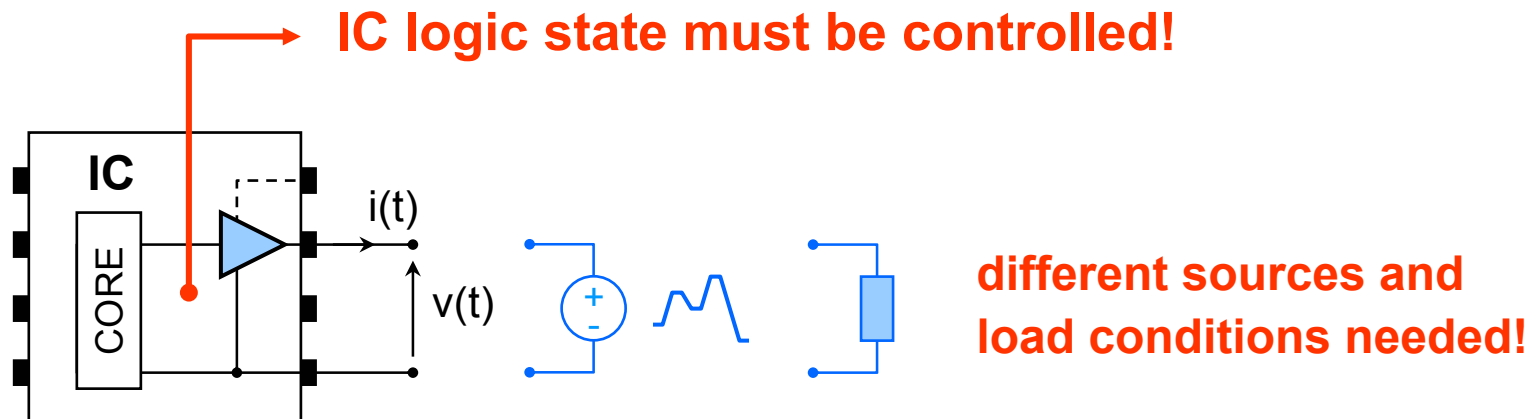


$w_{H,L}$  obtained by linear inversion of model equation

$$i(t) = w_H(t) i_H(v, d/dt) + w_L(t) i_L(v, d/dt)$$

by using 1,2,... set of responses (solution of a standard LS problem)

## Mπlog modeling process (iv)

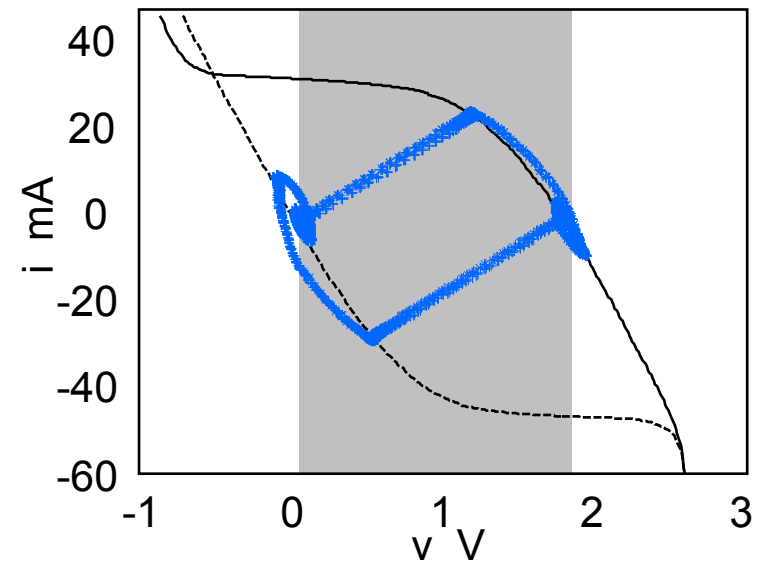
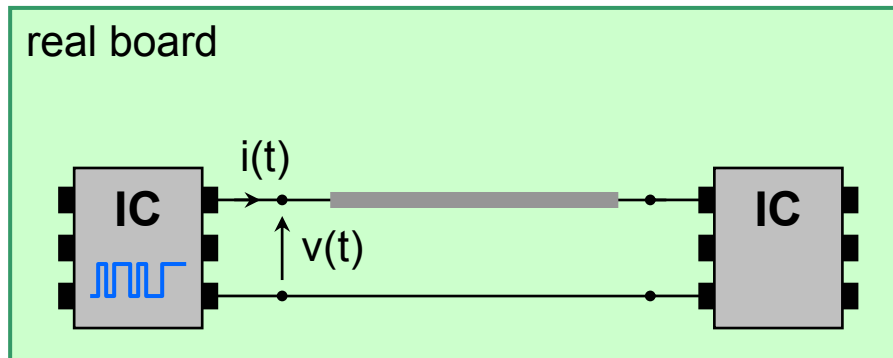


→ **CRITICAL** for model generation of complex ICs

How to obtain waveforms useful for model estimation from device **operating in normal condition?**

# M $\pi$ log models from measurements “on-the-fly” (i)

## ❖ Typical structure

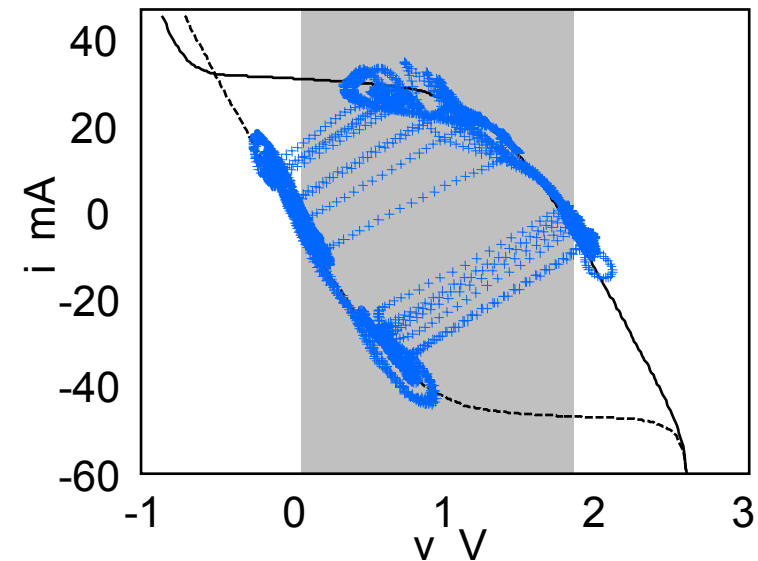
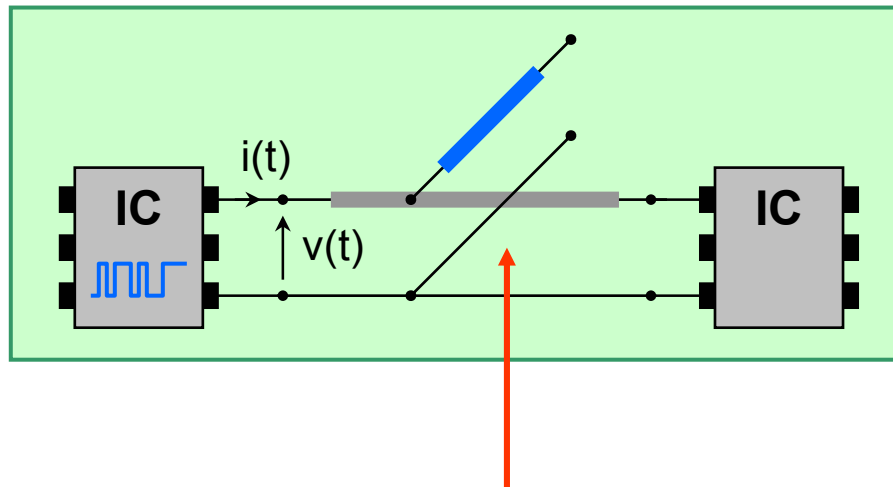


→  $v(t)$  and  $i(t)$  have pieces of information on both state transitions and device behavior @ fixed state (**limited region explored**)



## Mπlog models from measurements “on-the-fly” (ii)

### ❖ Typical structure + perturbing element



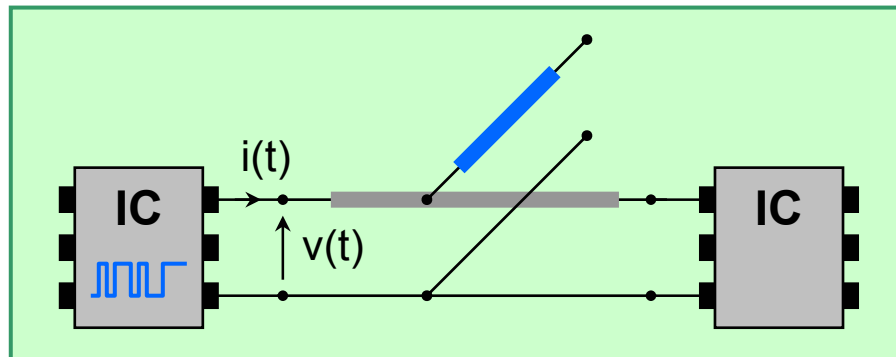
Simplest (passive) **perturbing element**: stub (time delay  $> 1/3 \div 1$  bit time)

- $v(t)$  and  $i(t)$  explore a **more wide region** of the solution space
- waveforms for **both estimation of submodels and of weighting signals**

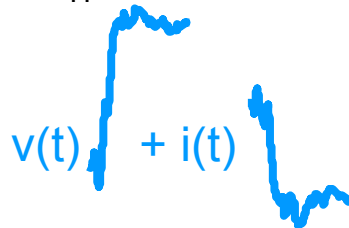
# Mπlog modeling process “on-the-fly” (i)

Estimation of submodels  $i_{H,L}$

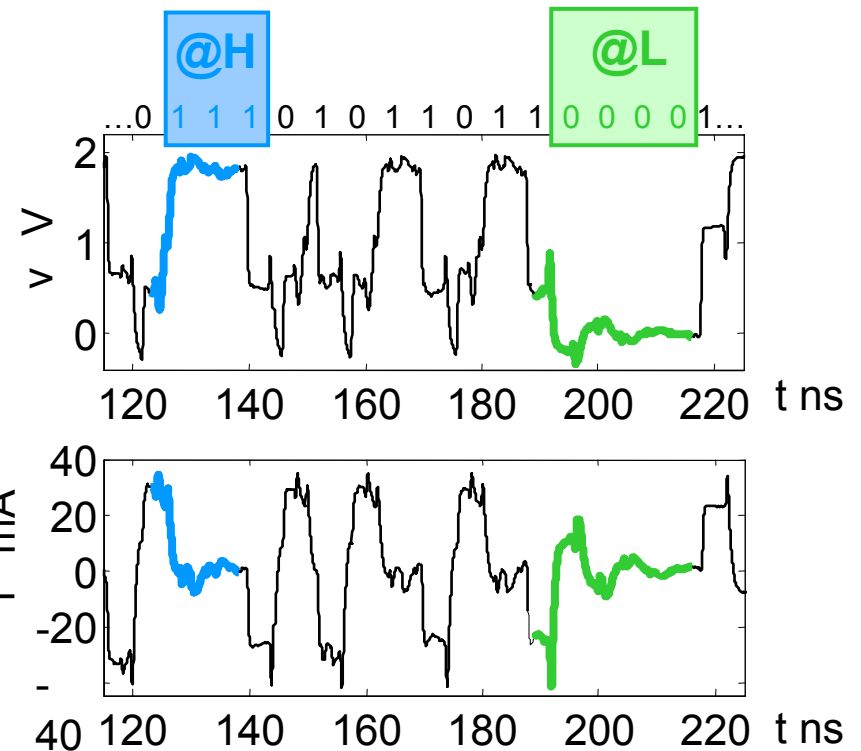
$$i(t) = w_H(t) i_H(v, d/dt) + w_L(t) i_L(v, d/dt)$$



e.g, for  $i_H$



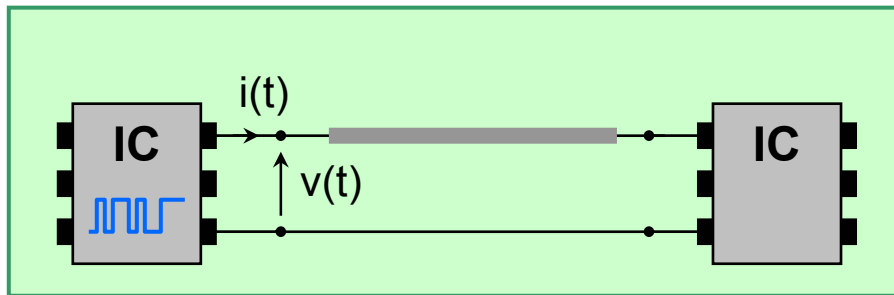
estimation  
algorithm  
(e.g., [1])



## Mπlog modeling process “on-the-fly” (ii)

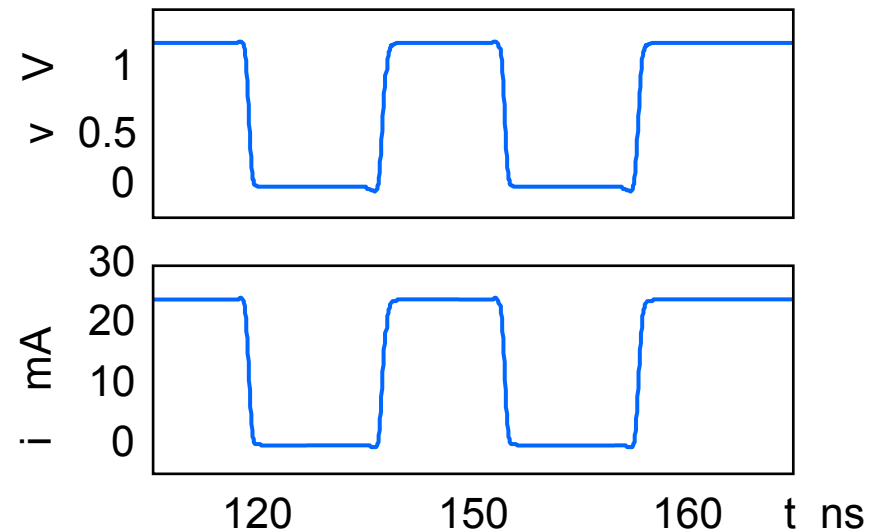
### Computation of weighting signals $w_{H,L}$

$$i(t) = w_H(t) i_H(v, d/dt) + w_L(t) i_L(v, d/dt)$$



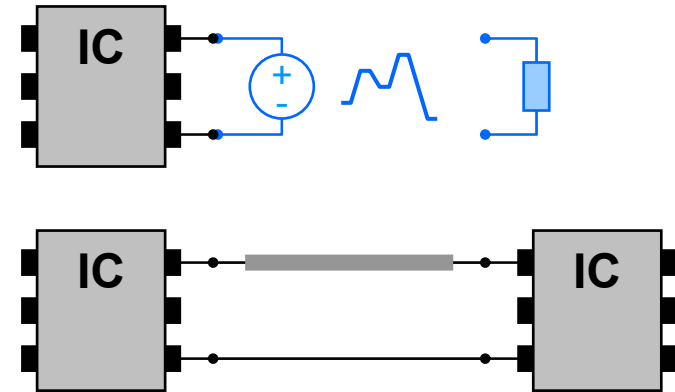
e.g, for  $w_L(t) = (1-w_H(t))$

$$w_H(t) = (i(t) - i_L(v, d/dt)) / (i_H(v, d/dt) - i_L(v, d/dt))$$



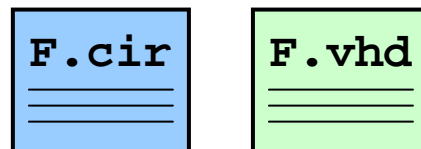
## Summary of M $\pi$ log model generation

- (1) { Device is conveniently stimulated and reaction is recorded  
Device mounted directly on the board and responses are recorded



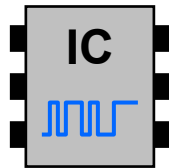
- (2) Port responses feed an algorithm for the computation of model parameters
- (3) Model equation  $F$  is implemented in SPICE or in metalanguages like VHDL-AMS

$$i(k) = F(i(k-1), \dots, v(k), v(k-1), \dots)$$



## Modeling example

### Modeled device



8-bit bus transceiver, SN74ALVCH16973,  
VDD=1.8V, bit time: 6ns

### Model 1: estimation using **noiseless** signals

→ responses from SPICE simulation

### Model 2: estimation in a **noisy** environment

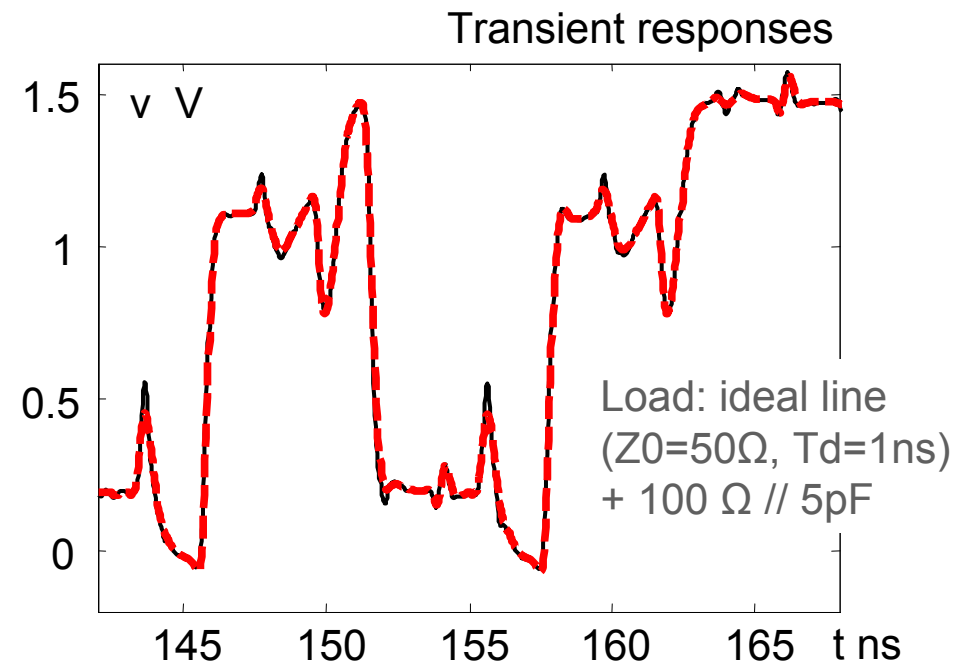
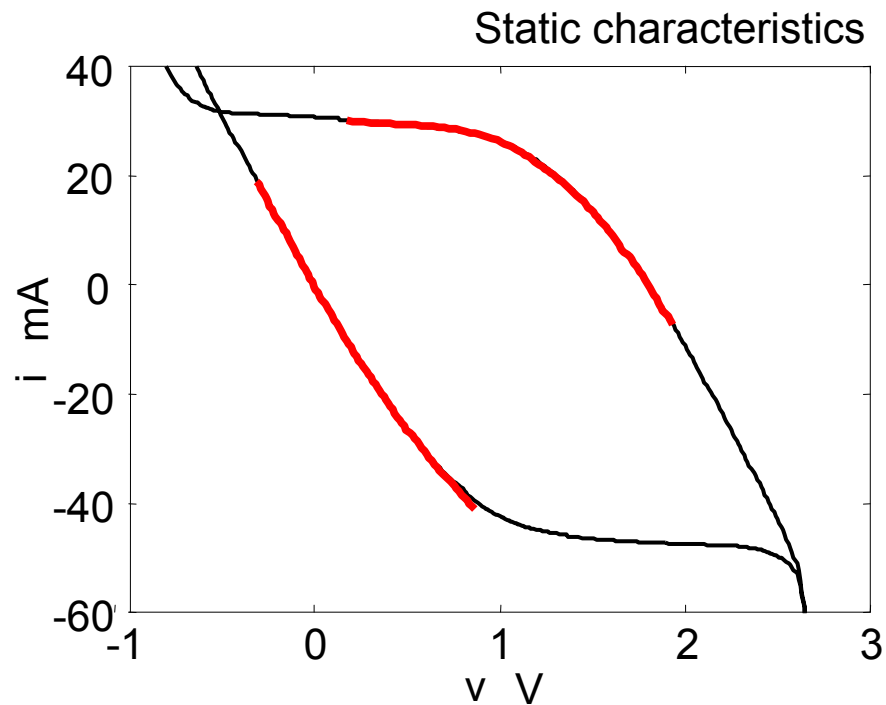
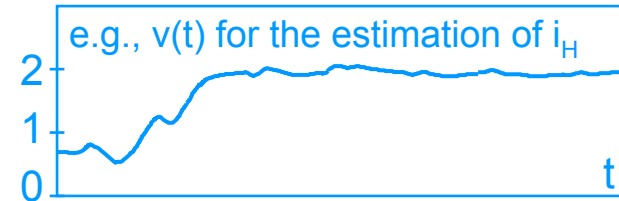
→ responses from SPICE simulation  
+ superimposed noise

**feasibility for  
estimation from  
measured data**

( $i_{H,L}$  are sums of 2÷5 sigmoidal  $\sim$  functions, dynamic order 2)

## Model 1 validation

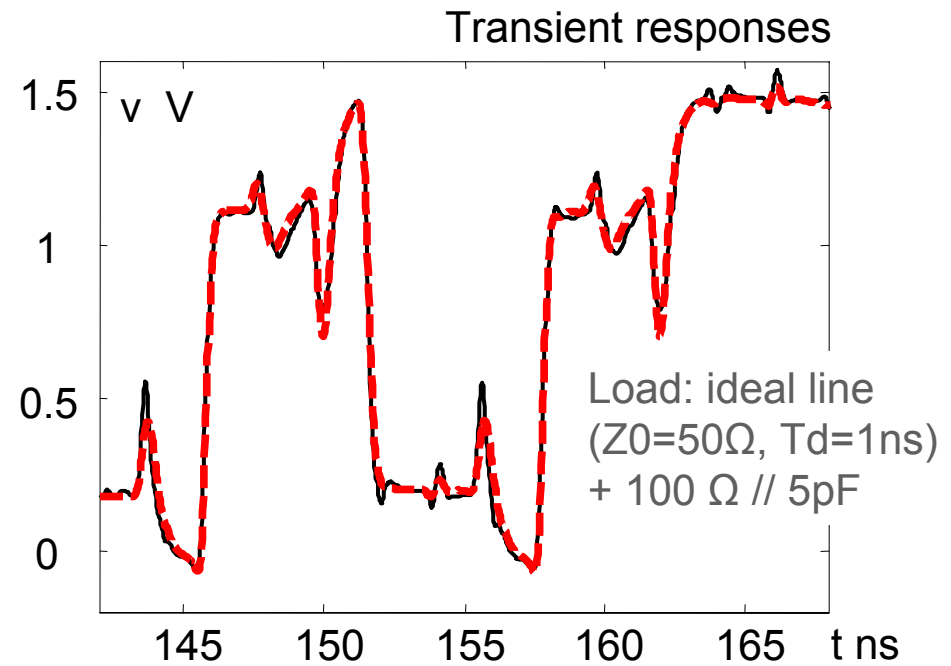
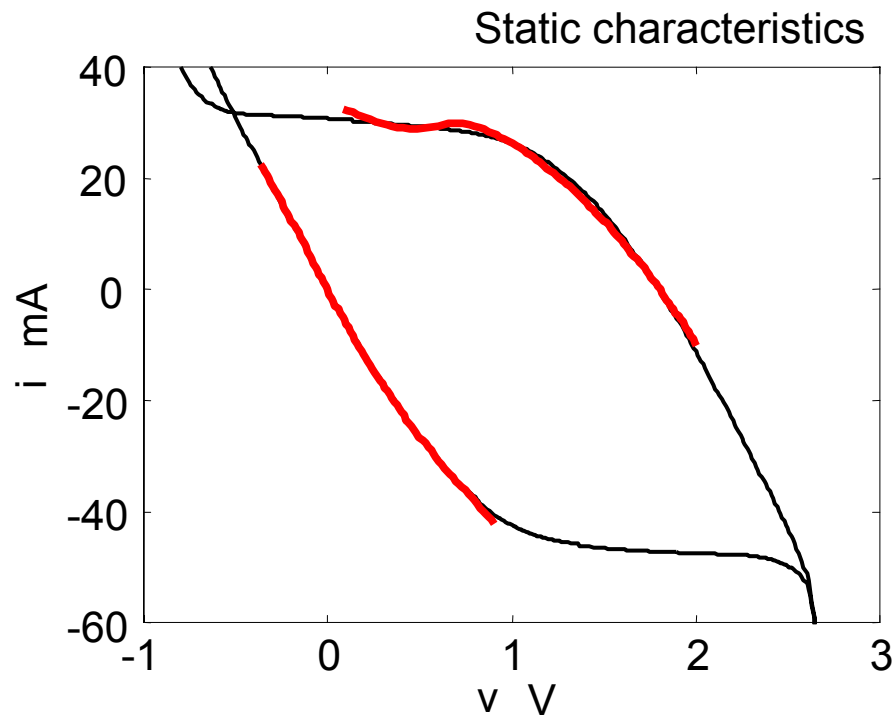
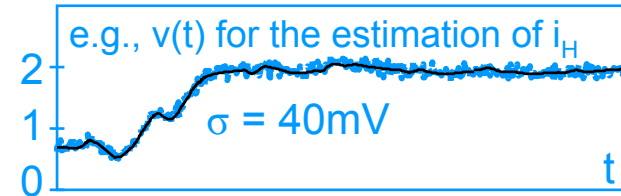
Model built from **noiseless signals**



— reference (Hspice), — **macromodel** (Spice implementation)

## Model 2 validation

Model built from **noisy signals**



— reference (Hspice), — **macromodel** (Spice implementation)

## Conclusions

### Mπlog model generation from measurements carried out “on-the-fly”

- allows the modeling of complex ICs from transient responses recorded during normal IC activity
- does not need any control of IC logic state
- minimizes experimental cost (no dedicated test fixtures)
- enables accurate estimation of device static characteristics from transient measurements

