### IBIS-AMI Terminology Overview

Walter Katz, SiSoft <u>wkatz@sisoft.com</u> Mike Steinberger, SiSoft <u>msteinb@sisoft.com</u> Todd Westerhoff, SiSoft <u>twesterh@sisoft.com</u>

DAC 2009 IBIS Summit San Francisco, CA July 28, 2009



### **IBIS-AMI Fundamental Assumptions**

- Millions of bits of behavior are needed to adequately characterize serial links
- SERDES transmitters / receivers can be modeled as a combination of analog & algorithmic elements
  - TX output driver and RX termination network can be considered linear and time-invariant (LTI)
  - TX/RX equalization and clock recovery behavior can be modeled at the algorithmic level
- Serial channels can be characterized using S Parameter data and/or other passive interconnect models

# **IBIS-AMI Serial Channel**



Passive Channel includes interconnect only

Analog Channel includes TX driver & RX termination network

End-End Channel includes everything

**SiSoff** 

### Passive Channel – h(t)



- Pad-pad passive interconnect (including TX/RX packages)
- Can be modeled using any method the simulator supports

# Analog Channel – h<sub>AC</sub>(t)



- IBIS-AMI Analog models for TX driver & RX termination network
- Network Characterization uses Analog models & circuit analysis techniques to determine impulse response
- Analysis can be performed using any method the simulator supports
  SiSoff



### **IBIS-AMI End-End Channel**



- Analog network is modeled as impulse response
- Channel Simulation uses IBIS-AMI Algorithmic models
- IBIS-AMI Reference Flow (IBIS 5.0 / Section 10 / Item 2.3) defines simulation results

**SiSoff** 

### **IBIS-AMI Models**

An IBIS-AMI model has two parts:



#### Analog Model

- Models unequalized analog device behavior
- Included in IBIS component model (.IBS) files
- Used to characterize analog network and derive impulse response
- Analog [Model] points to AMI [Algorithmic model]

#### Algorithmic Model

- Models equalization and clock recovery behavior
- Supplied as executable code
- Models can operate at two different levels:
  - INIT: impulse response processing
  - GETWAVE: time-domain waveform processing

# **IBIS-AMI Algorithmic Models**

- Provided as binary code
  - Fast, efficient execution
  - Protects vendor IP
  - Extensible modeling capability
  - Allows models to be developed in multiple languages
- Standardized execution interface
  - Defines .dll loading mechanism & call signature
  - Defines data input/output formats
- Standardized control (.AMI) file
  - Supplied as plain text file
  - "Reserved parameters" section model capabilities
  - Model-specific parameters let users control the model

### **IBIS-AMI Algorithmic Models**





IBIS AMI Terminology - DAC 2009 IBIS Summit - July 28, 2009 © 2009, SiSoft

### **IBIS-AMI** Simulation

**IBIS-AMI** analysis has two stages:



#### **Network Characterization**

- Uses the passive network and IBIS analog models as input
- Performs either time-domain or frequency-domain circuit analysis
- Derives the impulse response for the analog network
- All analog effects considered • are included in the impulse response

#### **Channel Analysis**

- Uses impulse response to represent Analog Channel
- Links IBIS-AMI Algorithmic models into simulator
- Users may vary model-specific settings
- Statistical and/or Time-Domain analysis depending on simulator and model capabilities



### **IBIS-AMI Terminology**

- Bit stream b(t)
  - Sum of delta functions
- Data symbol p(t)
  - Single bit width pulse
- TX analog characteristic  $h_{TX}(t)$  \*
  - **Rise/fall time**
  - Voltage swing
  - **Drive impedance**
  - Capacitance
- TX "Init" equalization  $h_{TEI}(t)$  \*
  - Sum of weighted delta functions
    - Coefficients & delays
- TX "Getwave" equalization  $g_{TEG}()$  \*
  - Not considered LTI
  - Waveform in, waveform out



Bit Time

.....







\* Similar terms exist for RX

IBIS AMI Terminology - DAC 2009 IBIS Summit - July 28, 2009 © 2009, SiSoft

### **LTI Channel Math**

- Channel impulse response  $h_{AC}(t) = h_{TX}(t) \otimes h(t) \otimes h_{RX}(t)$
- Channel pulse response =  $h_{TX}(t) \otimes h(t) \otimes h_{RX}(t) \otimes p(t)$
- Unequalized waveform @ RX pad =  $h_{TX}(t) \otimes h(t) \otimes h_{RX}(t) \otimes p(t) \otimes b(t)$
- Channel pulse response with TX & RX "Init" EQ =  $h_{TX}(t) \otimes h(t) \otimes h_{RX}(t) \otimes p(t) \otimes h_{TEI}(t) \otimes h_{REI}(t)$
- Waveform @ RX pad with TX "Init" EQ =  $h_{TX}(t) \otimes h(t) \otimes h_{RX}(t) \otimes p(t) \otimes b(t) \otimes h_{TEI}(t)$
- Waveform @ RX sampler with TX & RX "Init" EQ =  $h_{TX}(t) \otimes h(t) \otimes h_{RX}(t) \otimes p(t) \otimes b(t) \otimes h_{TEI}(t) \otimes h_{REI}(t)$



### **Reference Flow**

2.3 Reference system analysis flow 

System simulations will commonly involve both TX and RX algorithmic models, each of which may perform filtering in the AMI Init call, the AMI Getwave call, or both. Since both LTI and non-LTI behavior can be modeled with algorithmic models, the manner in which models are evaluated can affect simulation results. The following steps are defined as the reference simulation flow. Other methods of calling models and processing results may be employed, but the final simulation waveforms are expected to match the waveforms produced by the reference simulation flow.

The steps in this flow are chained, with the input to each step being the output of the step that preceded it.

- Step 1. The simulation platform obtains the impulse response for the analog channel. This represents the combined impulse response of the transmitter's analog output, the channel and the receiver's analog front end. This impulse response represents the transmitter's output characteristics without filtering, for example, equalization.
- Step 2. The output of Step 1 is presented to the TX model's AMI Init call. If Use Init Output for the TX model is set to True, the impulse response returned by the TX AMI Init call is passed onto Step 3. If Use Init Output for the TX model is set to False, the same impulse response passed into Step 2 is passed on to step 3.
- Step 3. The output of Step 2 is presented to the RX model's AMI Init call. If Use Init Output for the RX model is set to True, the impulse response returned by the RX AMI Init call is passed onto Step 4. If Use Init Output for the RX model is set to False, the same impulse response passed into Step 3 is passed on to step 4.
- Step 4. The simulation platform takes the output of step 3 and combines (for example by convolution) the input bitstream and a unit pulse to produce an analog waveform.
- Step 5. The output of step 4 is presented to the TX model's AMI Getwave call. If the TX model does not include an AMI Getwave call, this step is a pass-through step, and the input to step 5 is passed directly to step 6.

- IBIS 5.0 Spec, Section 10, Item 2.3
- Lists model evaluation order to define reference simulation waveforms
- Can be used with IBIS-AMI toolkit to produce reference waveforms
- Other evaluation techniques may be used as long as the resulting waveforms are the same



IBIS AMI Terminology - DAC 2009 IBIS Summit - July 28, 2009 © 2009, SiSoft



### Use\_Init\_Output

- Controls linkage between Init() and Getwave() calls when both entry points are present
- 4 possible cases:

Case	TX Use_Init_Output	RX Use_Init_Output
1	False	False
2	False	True
3	True	False
4 (Default)	True	True

 The following slides consider cases where TX and RX models implement both AMI\_Init and AMI\_Getwave – other cases are simpler

# Case 1: TX = False, RX = False

- Impulse response input to TX AMI\_Init
  - $-h_{AC}(t)$
- Impulse response input to RX AMI\_Init
  - $-h_{AC}(t)$
- Impulse response after RX AMI\_Init
  - $-h_{AC}(t)$
- Waveform input to TX AMI\_Getwave
  - $\hspace{0.2cm} p(t) \otimes b(t) \otimes h_{AC}(t)$
- Waveform input to RX AMI\_Getwave
  - $g_{\text{TEG}}(p(t) \otimes b(t) \otimes h_{\text{AC}}(t))$
- Waveform output from RX AMI\_Getwave
  - $g_{\text{REG}}(~g_{\text{TEG}}(~p(t) \otimes b(t) \otimes h_{\text{AC}}(t)~)$  )

# Case 2: TX = False, RX = True

- Impulse response input to TX AMI\_Init
  - $-h_{AC}(t)$
- Impulse response input to RX AMI\_Init
  - $-h_{AC}(t)$
- Impulse response after RX AMI\_Init
  - $\ h_{AC}(t) \otimes h_{REI}(t)$
- Waveform input to TX AMI\_Getwave
  - $\hspace{0.1 cm} p(t) \otimes b(t) \otimes h_{AC}(t) \otimes h_{REI}(t)$
- Waveform input to RX AMI\_Getwave
  - $g_{\text{TEG}}(~p(t) \otimes b(t) \otimes h_{\text{AC}}(t) \otimes h_{\text{REI}}(t)$  )
- Waveform output from RX AMI\_Getwave
  - $g_{\text{REG}}(~g_{\text{TEG}}(~p(t)\otimes b(t)\otimes h_{\text{AC}}(t)\otimes h_{\text{REI}}(t)~)$  )

# Case 3: TX = True, RX = False

- Impulse response input to TX AMI\_Init
  - $h_{AC}(t)$
- Impulse response input to RX AMI\_Init
  - $\ \ h_{TEI}(t) \, \otimes \, h_{AC}(t)$
- Impulse response after RX AMI\_Init
  - $\ \ h_{TEI}(t) \, \otimes \, h_{AC}(t)$
- Waveform input to TX AMI\_Getwave
  - $\hspace{0.2cm} p(t) \, \otimes \, b(t) \, \otimes \, h_{AC}(t) \, \otimes \, h_{TEI}(t)$
- Waveform input to RX AMI\_Getwave
  - $g_{\text{TEG}}(p(t) \otimes b(t) \otimes h_{\text{AC}}(t) \otimes h_{\text{TEI}}(t))$
- Waveform output from RX AMI\_Getwave
  - $g_{\text{REG}}(~g_{\text{TEG}}(~p(t)\otimes b(t)\otimes h_{\text{AC}}(t)\otimes h_{\text{TEI}}(t)~)$  )

# Case 4: TX = True, RX = True

- Impulse response input to TX AMI\_Init
  - $-h_{AC}(t)$
- Impulse response input to RX AMI\_Init
  - $\ \ h_{TEI}(t) \, \otimes \, h_{AC}(t)$
- Impulse response after RX AMI\_Init
  - $\ \ h_{\text{TEI}}(t) \, \otimes \, h_{\text{AC}}(t) \, \otimes \, h_{\text{REI}}(t)$
- Waveform input to TX AMI\_Getwave
  - $\ p(t) \otimes b(t) \otimes h_{AC}(t) \otimes h_{TEI}(t) \otimes h_{REI}(t)$
- Waveform input to RX AMI\_Getwave
  - $g_{TEG}(p(t) \otimes b(t) \otimes h_{AC}(t) \otimes h_{TEI}(t) \otimes h_{REI}(t))$
- Waveform output from RX AMI\_Getwave
  - $g_{\text{REG}}(~g_{\text{TEG}}(~p(t)\otimes b(t)\otimes h_{\text{AC}}(t)\otimes h_{\text{TEI}}(t)\otimes h_{\text{REI}}(t)$  ) )

### **Observations**

- In all cases, the best-case (least distorted) input to TX AMI\_GetWave is p(t)  $\otimes$  b(t)  $\otimes$  h<sub>AC</sub>(t)
  - Input bit stream and bit time boundaries are not recoverable, makes modeling Dj and DCD nearly (if not completely) impossible
- In cases 2 and 4, the input to TX AMI\_GetWave includes the RX AMI\_Init equalization h<sub>REI</sub>(t)
  - How could the writer of TX AMI\_GetWave be expected to write code that compensates for an unknown external equalization function?
- The current "analog waveform" input to TX AMI\_Getwave doesn't really work
  - SiSoft will address this is an upcoming BIRD

### Summary

- Reviewed IBIS-AMI fundamental assumptions
- Introduced channel and model terminology
- Reviewed LTI channel math and IBIS-AMI reference simulation results
- Identified issue for future resolution
- Comments welcome and appreciated!